LearnMusic Theory.net 6.16 Surviving Serialism 4: Derivation, Invariance, Combinatoriality

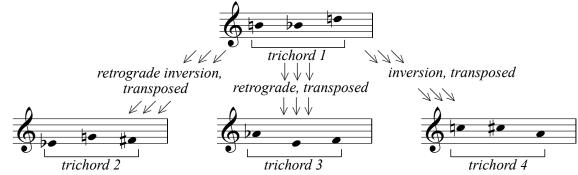
Derived Rows

Derivation = Creating a twelve-tone row by applying a combination of transposition, inversion, and/or retrograde to a set containing less than twelve pitch classes. *Trichords* (3 pitch classes) are most common, but dyads (2 pitch classes), pentachords (4 pitch classes) and hexachords (6 pitch classes) are possible. Anton Webern favored this technique.

One of many possibilities is shown in this row from Webern's *Concerto* Op. 24:



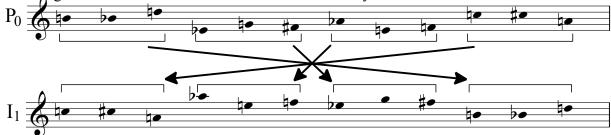
Trichords 2, 3, and 4 are all *derived* from trichord 1 by various operations:



Invariance and Combinatoriality

Invariance = A twelve-tone row that recreates 1 or more subsets (dyads, trichords, pentachords, or hexachords) after undergoing some combination of transposition, inversion, and/or retrograde. **Derived rows** often exhibit *invariance* because of the close relationships among the subsets.

Below, inverting the row from Webern's *Concerto* Op. 24 and transposing up one half step gives the trichords from P0 in reverse order. They are thus *invariant trichords*.



Combinatoriality = A type of invariance in which a subset of a row combines with subsets of transpositions, inversions, and/or retrograde inversions of the row to create a new twelve-tone row.

Hexachordal combinatoriality = The most common type of combinatoriality, combining the *first hexachord* of one row form with the *first hexachord* of a different row form (transposition, inversion, and/or retrograde inversion) to create a new row. In other words, the first six pitch classes of one row form are the last six of a different row form, though not necessarily in the same order. P0 and I1 above happen to exhibit *hexachordal combinatoriality* in addition to the *trichord invariance* discussed above:



All-Interval Rows

All-interval row = Any row that contains one of each type of *ascending* interval *from 1 to 11 half steps*. These rows *may or may not* be derived or combinatorial.



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